

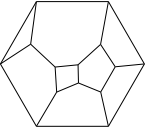
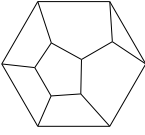
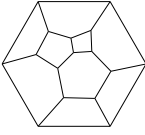
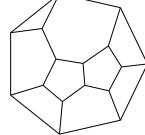
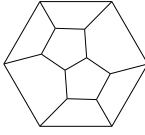
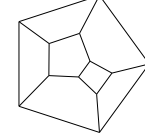
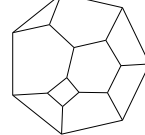
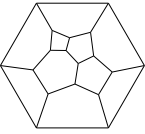
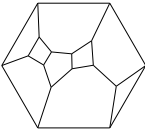
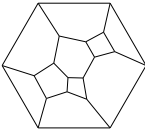
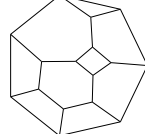
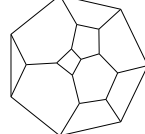
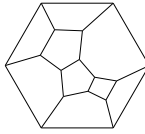
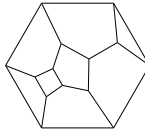
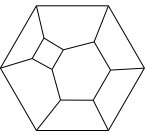
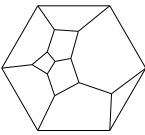
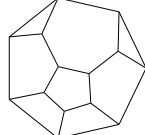
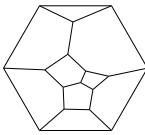
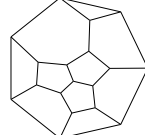
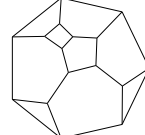
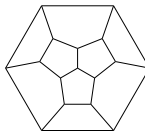
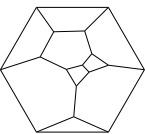
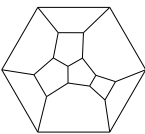
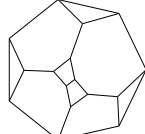
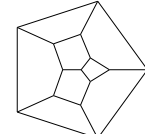
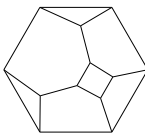
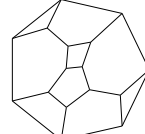
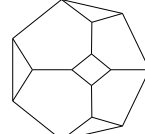
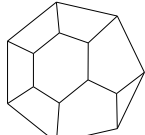
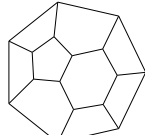
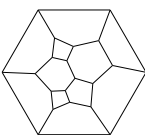
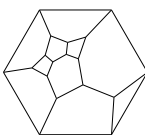
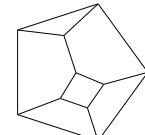
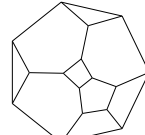
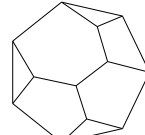
1. $f=0.274\%$  (0013320...) $F=9, S=1$	2. $f=0.166\%$  (0013310...) $F=8, S=2$	3. $f=0.158\%$  (0004420...) $F=10, S=2$	4. $f=0.120\%$  (0013411...) $F=10, S=1$	5. $f=0.116\%$  (0004410...) $F=9, S=4$	6. $f=0.102\%$  (0004400...) $F=8, S=8$	7. $f=0.097\%$  (0014221...) $F=10, S=1$
8. $f=0.096\%$  (0003620...) $F=11, S=2$	9. $f=0.094\%$  (0013330...) $F=10, S=1$	10. $f=0.093\%$  (0004430...) $F=11, S=1$	11. $f=0.093\%$  (0014221...) $F=10, S=1$	12. $f=0.092\%$  (0014231...) $F=11, S=1$	13. $f=0.091\%$  (0004420...) $F=10, S=2$	14. $f=0.091\%$  (0012510...) $F=9, S=2$
15. $f=0.089\%$  (0005220...) $F=9, S=4$	16. $f=0.088\%$  (0012520...) $F=10, S=2$	17. $f=0.082\%$  (0022311...) $F=9, S=2$	18. $f=0.081\%$  (0012520...) $F=10, S=2$	19. $f=0.080\%$  (0012611...) $F=11, S=1$	20. $f=0.080\%$  (0022321...) $F=10, S=1$	21. $f=0.079\%$  (0003610...) $F=10, S=6$
22. $f=0.077\%$  (0014140...) $F=10, S=2$	23. $f=0.076\%$  (0004430...) $F=11, S=2$	24. $f=0.072\%$  (0032122...) $F=10, S=1$	25. $f=0.070\%$  (0003600...) $F=9, S=12$	26. $f=0.069\%$  (0022220...) $F=8, S=4$	27. $f=0.068\%$  (0022321...) $F=10, S=1$	28. $f=0.068\%$  (0031221...) $F=9, S=2$
29. $f=0.067\%$  (0014211...) $F=9, S=2$	30. $f=0.066\%$  (0005311...) $F=10, S=2$	31. $f=0.066\%$  (0003630...) $F=12, S=1$	32. $f=0.064\%$  (0012530...) $F=11, S=1$	33. $f=0.063\%$  (0013300...) $F=7, S=6$	34. $f=0.063\%$  (0023131...) $F=10, S=2$	35. $f=0.060\%$  (0031211...) $F=8, S=1$

Figure 1: Schlegel diagrams of the 35 most common grain topologies in the Poisson–Voronoi microstructure. Listed for each topological type is the frequency of occurrence f , the p -vector, the number of faces F , and the order S of the associated symmetry group. The p -vector should be interpreted as follows: p_i corresponds to the number of faces with i edges, $i \in \{1, 2, 3, \dots\}$. Data has been taken from a set of 10,000,000 cells.